

Detecting Arbitrages on a First-Come-First-Served Blockchain

Burak Öz, Jonas Gebele, and Florian Matthes

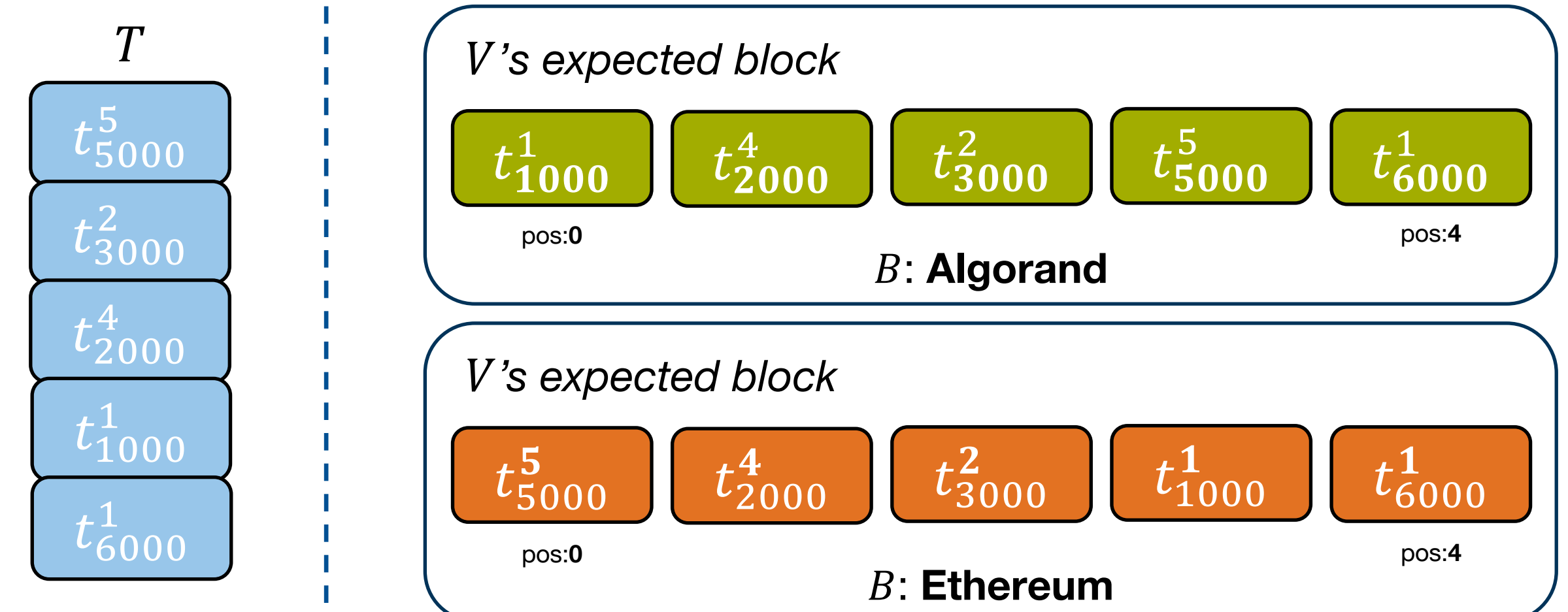
{burak.oez, jonas.gebele, matthes}@tum.de

Motivation

- Decentralized Exchanges' (DEXs) daily volumes exceed **multi-billion USD** [1].
- To have **efficient prices** on DEXs, **arbitrage trades** are necessary.
- According to EigenPhi [2], the **monthly profits** of arbitrageurs operating on the **Ethereum** blockchain **exceeds 2 million USD**.
- Previous research [3,4] explores arbitrage opportunity discovery and execution on such a network where transaction **fees** can **influence the execution order**.
- In **First-Come-First-Served (FCFS)** blockchains, block proposers sequence transactions in the order of appearance in their memory pool (mempool).
- Hence, **obtaining the desired block position** for an arbitrage opportunity requires **precise transaction issuance timing** and **propagation** to the network.
- We propose an **algorithmic approach for detecting arbitrage opportunities in an FCFS network** and demonstrate it on the **Algorand** blockchain, extending the work by Öz et al. in [5].

Simplified First-Come-First-Served

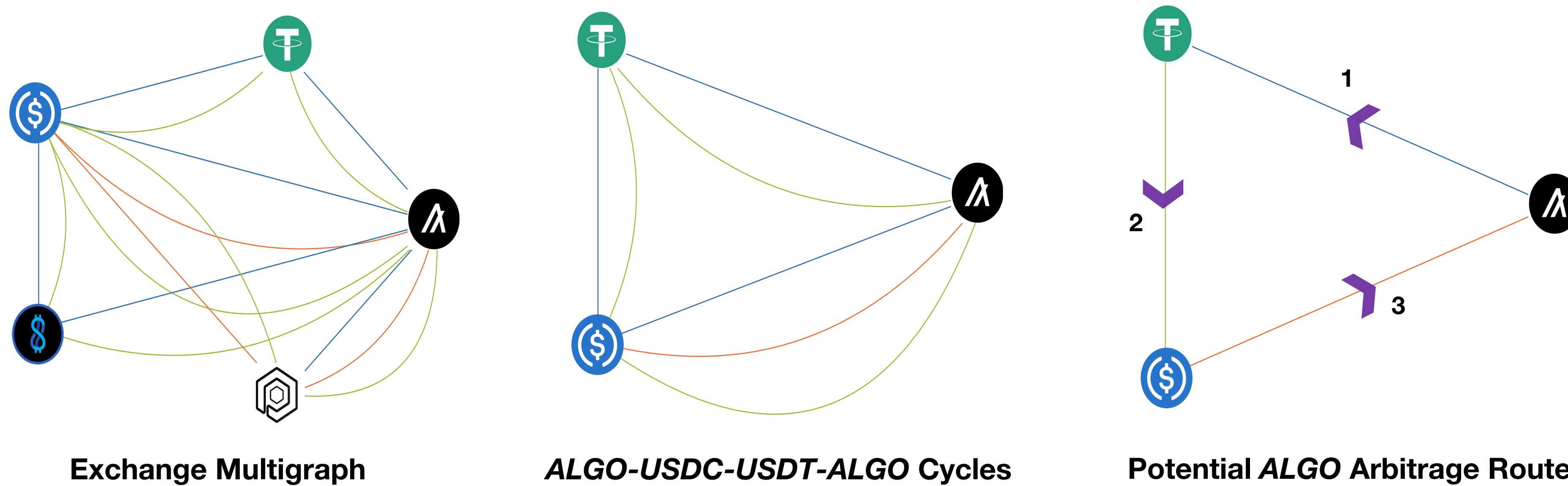
B : blockchain; V : validator; T : set of transactions pending in V 's mempool
 $t_{ts}^f \in T$: a transaction in T with fee f and mempool entry timestamp ts



Algorithmic Arbitrage Discovery

Toy Model

Assets: ALGO, USDC, USDT, STBL, OPUL
 DEXs: Tinyman V1, Tinyman V2, Pact



Algorithm 1 Arbitrage Discovery and Execution

```

1: hops  $\leftarrow [2, 3, 4]$ 
2: profit_assets  $\leftarrow ['ALGO', 'USDC', 'USDT']$ 
3: price_data  $\leftarrow$  fetch_price_data()
4: exchange_graph  $\leftarrow$  build_exchange_graph(price_data)
5: arb_cycles  $\leftarrow$  get_arbitrage_cycles()
6: for each round in rounds do
7:   affected_arb_cycles  $\leftarrow$  get_affected_arb_cycles()
8:   for each arb_cycle in affected_arb_cycles do
9:     if diagonal_product() > 1 then
10:      inputs  $\leftarrow$  optimize_inputs()
11:      execute_arbitrage()
    
```

The algorithm can be applied:

- After a block round, to find **block-state arbitrages** on arb cycles that had an affected pool in that round,
- After a transaction in the mempool that interacts with a relevant pool, to find **network-state arbitrages** on affected arb cycles.

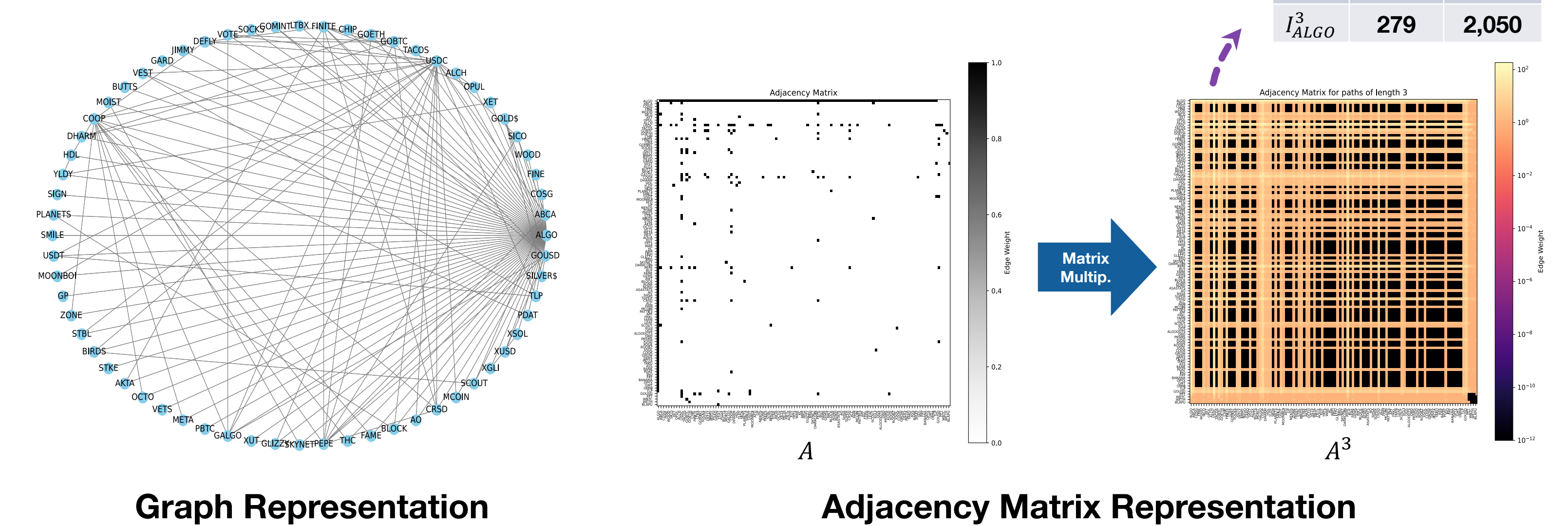
Experiments

- We apply the algorithmic arbitrage discovery algorithm on **136 assets** exchanged in **255 pools** available on *Tinyman V1*, *Tinyman V2*, and *Pact*.
- The graph $G = (E, V)$ of assets (V) and pools (E), can be represented as an adjacency matrix, denoted with A . Then, the main diagonal of the A^3 matrix yields the **3-hop cycles** for each asset.
- For each $l \in L$ length trading cycle $c_{pa}^l \in C_{pa}^l$ of a profit asset $pa \in PA$, we compute all possible implementations using the pools available for each leg of the cycle, denoted with:

$$I_{pa}^l = \bigcup_{c_{pa}^l \in C_{pa}^l} I_{c_{pa}^l}^l$$

- The cumulative cycle implementation set of PA is:

$$I_{total} = \bigcup_{pa \in PA} \bigcup_{l \in L} I_{pa}^l$$



First Findings and Future Work

- We analyzed **300,007 blocks** built between 2023-10-05 and 2023-10-16, where **21,624 blocks** had at least one relevant pool updated.
- The algorithm finds, on average, **more than one unique block-state arbitrage opportunity** at every block **under 0.2s runtime**.
- The **profitability** of the algorithm **depends on the available runtime**. Our experiments on the range $[0.2, 19.8]$ show that 0.2 s runtime discovers approximately **83% less value** than 19.8s. This difference **drops to less than 1%** as the runtime approaches the block time (3.3s).
- Unfortunately, even with 19.8s runtime, the discovered profit levels are minimal as arbitrage **positions are efficiently closed inside the block they appear**. While the maximum realized profit by an arbitrageur is 167.17 USD, the algorithm finds, at most, a 32.26 USD opportunity that is fully closed in the following six blocks.
- The **future work** will focus on:
 - Collecting mempool data and operating the algorithm on the network level,
 - Optimizing the current prioritization rule utilized when examining arb cycles.

Runtime Constraint

- In FCFS networks, the arbitrage opportunity detection algorithm's available runtime depends on the **first transaction's arrival time, changing a relevant pool's state**.
- Our initial experiments on Algorand show that relevant pools' states are **updated every six blocks** (median), providing roughly **19.8s available runtime** to the algorithm, as Algorand's block time is around 3.3s.
- Interestingly, we observe a **maximum of 294 blocks** (~16min) **without updates** on a relevant pool state.

Contact



Burak Öz
 Technical University of Munich, sebis
 burak.oez@tum.de

